Instructions: This homework is an individual effort. Answer each question. This is due on Monday, March 23rd. Show all work to receive full credit.

1. Find the quantity which maximizes profit when the total revenue and total cost are given by $R(q)=5 q-.003 q^{2}$ and $C(q)=300+1.1 q$ for $0 \leq q \leq 1000$. Then find the quantity which minimizes profit.
2. At a price of $\$ 80$ for a half-day trip, a white-water rafting company attracts 300 customers. Every $\$ 5$ decrease in price attracts an additional 30 customers.
a. Find the demand equation $q=D(p)$ as a function of $p$ price.
b. Write an equation for revenue in terms of price $p$.
c. What price should the company charge per trip to maximize revenue?
3. a. Estimate where on the first graph maximum profit is by drawing a vertical line. Explain why you think this.
b. Using the second graph of $M C$ and $M R$, explain why your thought above is true in terms of derivatives!


4. If $x y=300$ for $x, y>0$, find the minimum value of $x+y$.
5. Let Bob build a rectangular fence around $2000 \mathrm{ft}^{2}$ of land. The fence costs $\$ 30$ for the first 3 sides and $\$ 10$ for the last side. What is the minimum cost for Bob to build the enclosure? (Hint: Draw a picture! Come up with a cost equation and area equation!)
6. Let Bob build a farm next to a river. If Bob has 2000 ft of fencing, what is the maximum area of the enclosure? (Hint: Draw a picture! Use a perimeter equation.)
