# Pi Mu Epsilon <br> \& GAMECOCK MATH CLUB <br> The Minimum Number of Givens in a Fair Sudoku Puzzle is 17 

Prof. Joshua Cooper<br>USC Math Dept.

Add one more reason to love the number $17^{\oplus}$.
McGuire, Tugeman, and Civario surprised many in the mathematics-ofsudoku community on January 1, 2012 by posting* the result of a huge computation apparently confirming the long-held suspicion that the fewest number of givens in a fair sudoku puzzle is 17 . Their proof is a combination of clever programming techniques, mathematical analysis of so-called "hitting sets", and a massive supercomputer computation. We discuss how they did it, what it means, and where to go from here.

```
    Tue. 31 'st Jan. }201
        6:30 pm
        LeConte 101
followed by a Sudoku Championship
```

|  |  |  |  |  |  |  |  | 1 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
|  |  |  |  |  | 2 |  | 3 |  |
|  |  | 4 |  |  | 5 |  |  |  |
|  |  |  |  |  |  |  | 5 |  |
|  |  |  |  |  | 4 | 6 |  |  |
|  | 1 | 7 |  | 8 |  |  |  |  |
|  |  |  |  | 1 |  |  |  | 7 |
|  | 2 |  | 9 |  |  |  |  |  |
| 5 |  |  |  |  |  | 4 |  |  |

## * See http://arxiv.org/abs/1201.0749.

© Just for some purely mathematical examples, 17 is: a twin prime, a Mersenne prime exponent, an Eisenstein prime, a Fermat prime, the number of wallpaper (plane isometry) groups, the length of the longest Berlekamp-Graham "perfectly distributed" sequence in $[0,1]$, the least nontrivial hexadecimal repunit prime, the number of orthogonal curvilinear coordinate systems up to conformal symmetry for which the 3 -variable Laplace equation can be solved using separation of variables, and the least number that can be written as the sum of a positive cube and a positive square in two different ways.

Event supported in part by Residence Hall Association

For more info visit PME/GMC on FaceBook and at http://www.math.sc.edu/~pme/

