

References to publications of

L. A. Székely

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- 1./ L. A. Székely, Remarks on the chromatic number of geometric graphs, in: *Graphs and Other Topics* (ed. M. Fiedler), Teubner-
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