You should KEEP this piece of paper. Write everything on the blank paper provided. Return the problems in order (use as much paper as necessary), use only one side of each piece of paper. Number your pages and write your name on each page. Take a picture of your exam (for your records) just before you turn the exam in. I will e-mail your grade and my comments to you. I will keep your exam. Fold your exam in half before you turn it in.

The exam is worth 50 points: problems one to four are worth 8 points each; problems five and six are worth 9 points each.

Make your work coherent, complete, and correct. Please CIRCLE your answer. Please CHECK your answer whenever possible.

The solutions will be posted later today.

No Calculators, Cell phones, computers, notes, etc.

- (1) Find the point on the plane x + 2y + 3z = 4 which is closest to the point (1, 4, 6).
- (2) An object moves on the *xy*-plane. The position vector of the object at time t is $\overrightarrow{r}(t) = t^2 \overrightarrow{i} + t^3 \overrightarrow{j}$. How far does the object travel between t = 0 and t = 1?
- (3) Find the directional derivative of the function $f(x,y) = x^2 + 3y^2$ in the direction of $\overrightarrow{u} = 2\overrightarrow{i} + 3\overrightarrow{j}$ at the point P = (3,4).
- (4) Find the equation of the plane tangent to $z = 3x^2 + y^2$ at the point where x = 1 and y = 2.
- (5) Find all local maximum points, local minimum points, and saddle points of $f(x, y) = 4 + x^3 + y^3 3xy$.
- (6) Find the absolute maximum and minimum values of the function $f(x, y) = -x^2 y^2 + 2x + 2y + 1$ on the triangular region in the first quadrant bounded by the lines x = 0, y = 0, and y = 2 x.