## Notes and Homework for Math 790

First here is some more practice (i.e. problems) in typesetting mathematics. The environment \begin\{array\} ... \end\{array\}, which is used inside } of math mode, is used to typeset arrays such as matrices. Using what you find on page 46 of the notes to typeset the following.

$$
A=\left(\begin{array}{ll}
1 & 2  \tag{1}\\
3 & 4
\end{array}\right)
$$

(2) You can use \mathbf to be bold letters in math mode. For example $\backslash$ mathbf $\{\mathrm{x}\}$ gives x rather than $x$. Now you typeset:

$$
\mathbf{p}=\left[\begin{array}{c|c|c}
p_{11} & p_{12} & p_{13} \\
\hline p_{21} & p_{22} & p_{23} \\
\hline p_{31} & p_{32} & p_{33}
\end{array}\right]
$$

and

$$
\mathbf{S U}(2)=\left\{\left[\begin{array}{cc}
z & w \\
-\bar{w} & \bar{z}
\end{array}\right]: z, w \in \mathbb{C},|z|^{2}\left|+|w|^{2}=1\right\} .\right.
$$

(3) It is often useful to define things by cases such as

$$
|x-1|+|x+1|= \begin{cases}-2 x & \text { if } x<-1 \\ 2 & \text { if }-1 \leq x \leq 1 \\ 2 x & \text { if } 1<x\end{cases}
$$

Some people thing this looks better if the left column is right justified.

$$
|x-1|+|x+1|=\left\{\begin{aligned}
-2 x & \text { if } x<-1 \\
2 & \text { if }-1 \leq x \leq 1 \\
2 x & \text { if } 1<x
\end{aligned}\right.
$$

(4) The determinant of a $2 \times 2$ matrix $A=\left[\begin{array}{ll}a & b \\ c & d\end{array}\right]$ is denoted by $|A|$ and is given by

$$
\left|\left[\begin{array}{ll}
a & b \\
c & d
\end{array}\right]\right|=a d-b c .
$$

(5) Finally let's define a large matrix.

$$
A=\left[\begin{array}{cccc}
a_{11} & a_{12} & \cdots & a_{1 n} \\
a_{21} & a_{22} & \cdots & a_{2 n} \\
\vdots & \vdots & \ddots & \vdots \\
a_{m 1} & a_{m 2} & \cdots & a_{m n}
\end{array}\right]
$$

Now we want to be able to avoid having to type long commands. The command

```
\newcommand{\junk}{ what \junk is to abbreviate }
```

will replace \junk by the stuff in the second bracket. Thus putting
\newcommand\{\cartan\}\{\'Elie~Cartan\}
in the preamble means that typing \cartan will give Élie Cartan. In $\mathrm{T}_{\mathrm{E}} \mathrm{X}$ terminology \newcommand\{\cartan\}\{\'Elie~Cartan\} defines the macro \cartan

Now you define macros that give the following.
(a) $\backslash R$ which gives $\mathbf{R}$.
(b) \beq and \eeq that abbreviate \begin\{equation\} and \end\{equation\} }
(c) \ga (for Greek a) that gives $\alpha$.
(d) $\backslash \mathrm{nn}$ to abbreviate \nonumber
(e) Some of your own that you think might be useful and explain why you think that are nice.
It is also possible to define macros that take arguments. For example

## \newcommand\{\pd\}[2]\{\frac\{\partial \#1\}\{\partial \#2\}\}

lets us type set

$$
\frac{\partial u}{\partial t}=\frac{\partial u}{\partial x} \frac{\partial x}{\partial t}+\frac{\partial u}{\partial y} \frac{\partial y}{\partial t}
$$

as just
$\backslash \operatorname{pd}\{u\}\{t\}=\backslash \operatorname{pd}\{u\}\{x\} \backslash \operatorname{pd}\{x\}\{t\}+\backslash \operatorname{pd}\{u\}\{y\} \backslash \operatorname{pd}\{y\}\{t\}$
Now you define macros that do the following.
(a) $\backslash \operatorname{od}\{\mathrm{y}\}\{\mathrm{x}\}$ gives $\frac{d y}{d x}$ and $\backslash \operatorname{od}\{\backslash \mathrm{xi}\}\{\mathrm{t}\}$ gives $\frac{d \xi}{d t}$.
(b) $\backslash \operatorname{spd}\{z\}\{x\}\{y\}$ gives $\frac{\partial^{2} u}{\partial x \partial y}$.
(c) $\backslash \operatorname{mat}\{\mathrm{a}\}\{\mathrm{b}\}\{\mathrm{c}\}\{\mathrm{d}\}$ gives $\left[\begin{array}{ll}a & b \\ c & d\end{array}\right]$.
(d) Some others that you think would be useful and explain why.

For the problems on macros make a document with the macros in it and e-mail it to me so that I can test them.

