You are strongly encouraged to work in groups, following the procedure as in homework MS09.

Below is a summary of the handout: Stone-Weierstrasse Theorems.

*Recall* 1. About the metric space  $(C(K, \mathbb{K}), d_{\infty})$ .

**Theorem 2** (Weierstrass Approx. Thm.). The collection of real polynomial is dense in C([0, 1]).

**Definition 3.** <u>separates points</u> (of S) and <u>algebra</u> (of functions over  $\mathbb{K}$ ).

**Theorem 4** (Stone-Weierstrass theorem, real version so  $\mathbb{K} = \mathbb{R}$ ).

**Theorem 5** (Stone-Weierstrass theorem, complex version so  $\mathbb{K} = \mathbb{C}$ ).

Lemma 6. Uniform approximation of the square root function on the unit interval by polyonomial.

Metric Space Exercise 13.

Do the following Stone-Weierstrass Exercises from the handout Stone-Weierstrasse Theorems.

The LaTex file of this handout might save your time.

**MS 13a.** Do SW 7.

**MS 13b.** Do SW 8.