

- Note due at 2pm.
- Recall, when asked to *symbolically write* a statement, do so **using quantifiers**.
- Unless otherwise stated, in a proof you may use any previous result (or Exercise) provided you reference the result.
- If you need, look at the LaTeX here to remind yourself how to Latex:

$n|a$  (i.e.,  $n$  divides  $a$ ),  $n \nmid a$  (i.e.,  $n$  does not divide  $a$ ), and  $a \equiv b \pmod{n}$  (i.e.,  $a$  is congruent to  $b$  modulo  $n$ ).

**Exercises**

**Exercise 1.** Over §3.5.

**Conjecture 1.** If  $a$  and  $b$  are integers, then  $(a + b)^2 \equiv (a^2 + b^2) \pmod{2}$ .

**ER 1i.** Sybolically write Conjecture 1. Be sure to use quantifiers.

**ER 1ii.** Determine if Conjecture 1 is true or false. If Conjecture 1 is true, then write a formal proof of Conjecture 1. If Conjecture 1 is false, then provide a counterexample that shows (and clearly explains) why Conjecture 1 if false.