

§ 11.8 Power Series Homework.

Do the following problems from Calculus by Anton et al 8th ed.

63. Prove: If the interval of convergence of the series $\sum_{k=0}^{\infty} c_k(x-x_0)^k$ is $(x_0 - R, x_0 + R]$, then the series converges conditionally at $x_0 + R$.

For the next 6 problems, as we did in class, find

- the center
- the radius of convergence
- the interval of convergence

and make the "number line chart" indicating where the power series is absolutely convergent, conditionally convergent, and divergent.

$$29. \sum_{k=1}^{\infty} \frac{5^k}{k^2} x^k$$

$$35. \sum_{k=0}^{\infty} (-1)^k \frac{x^{2k+1}}{(2k+1)!}$$

$$41. \sum_{k=1}^{\infty} (-1)^{k+1} \frac{(x+1)^k}{k}$$

$$43. \sum_{k=0}^{\infty} \left(\frac{3}{4}\right)^k (x+5)^k$$

$$44. \sum_{k=1}^{\infty} \frac{(2k+1)!}{k^3} (x-2)^k$$

$$48. \sum_{k=0}^{\infty} \frac{(2x-3)^k}{4^{2k}}$$