

MARK BOX		
PROBLEM	POINTS	
1	5	
2	5	
TOTAL	10	

NAME (legibly printed): _____

class PIN: _____

INSTRUCTIONS:

- (1) To receive credit you must:
 - (a) **work in a logical fashion, show all your work, indicate your reasoning;**
no credit will be given for an answer that *just appears*;
such explanations help with partial credit
 - (b) if a line/box is provided, then:
 - show you work **BELOW** the line/box
 - put your answer on/in the line/box
 - (c) if no such line/box is provided, then box your answer
 - (2) The MARK BOX indicates the problems along with their points.
Check that your copy of the exam has all of the problems.
 - (3) This exam covers (from *Calculus* by Stewart 6th ed.,ET): § 10.3, 10.4 .
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Problem Inspiration: just like the homework.

**This take home part of the final is due at the beginning of our in class final on
April 29 at 9am.**

**You may use your notes, book, and calculator. However, you may not discuss this
examine with anyone other than yourself!**

Honor Code Statement

I understand that it is the responsibility of every member of the Carolina community to uphold and maintain the University of South Carolina's Honor Code.

As a Carolinian, I certify that I have neither given nor received unauthorized aid on this exam.

Furthermore, I have not only read but will also follow the above Instructions.

I hereby verify that I did NOT receive help from other people on this take-home exam problem.

Signature : _____

1. Consider the curve in polar coordinate

$$r = 5 \cos(3\theta) .$$

1a. The period of $r = 5 \cos(3\theta)$ is _____.

1a. $\frac{\text{the period of } r = 5 \cos(3\theta)}{4} =$ _____

1c. Make a chart, as we did in class, to help you graph $r = 5 \cos(3\theta)$.

1d. Graph $r = 5 \cos(3\theta)$.

Clearly label the points, in polar coordinates (r, θ) , where the graph crosses the x -axis or y -axis.

2. Express the area enclosed by $r = 5 \cos(3\theta)$ as an integral with respect to θ
(ok ... with respect to θ means a $d\theta$ in there).
(You do not have to evaluate this integral.)

area =
